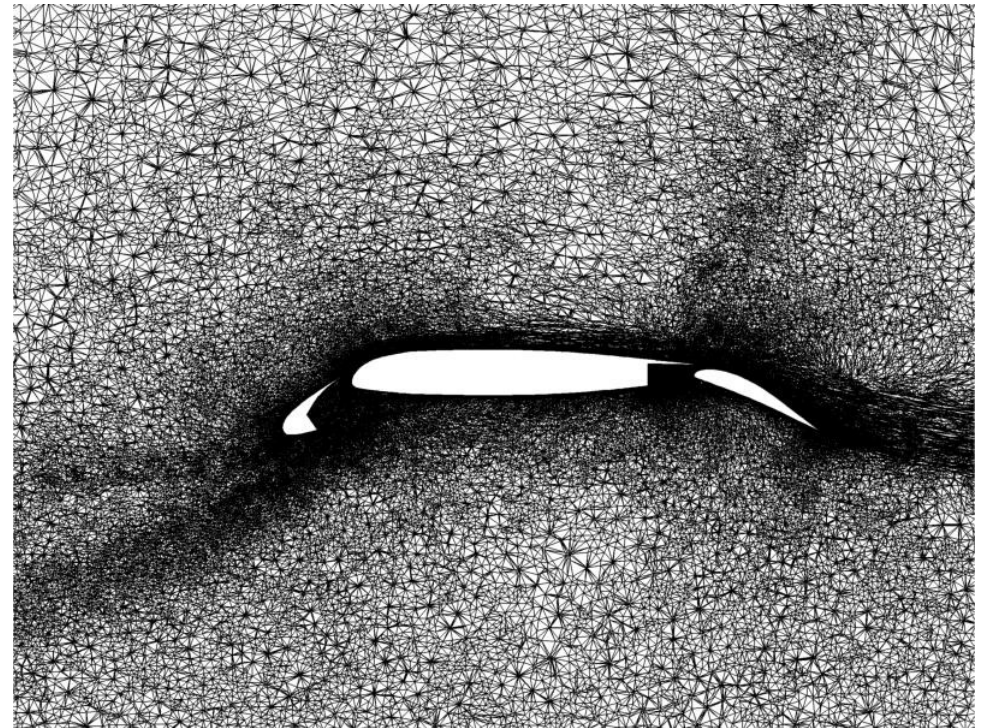
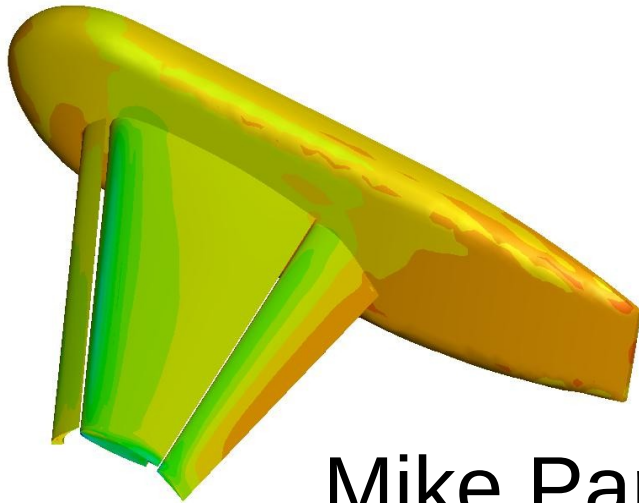
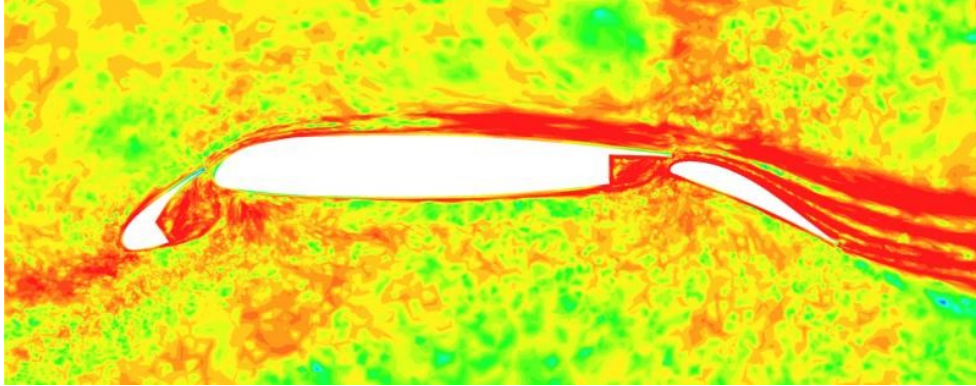


# Output-Based Grid Adaptation Applied to the HiLiftPW-1



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# Output-Based Adaptation

- Mathematically rigorous approach involving the adjoint solution that reduces estimated error in an engineering output
- Improvement over feature-based techniques, which ignore the transport of errors potentially resolving features in incorrect locations
- Motivated by the 2D work of Venditti and Darmofal

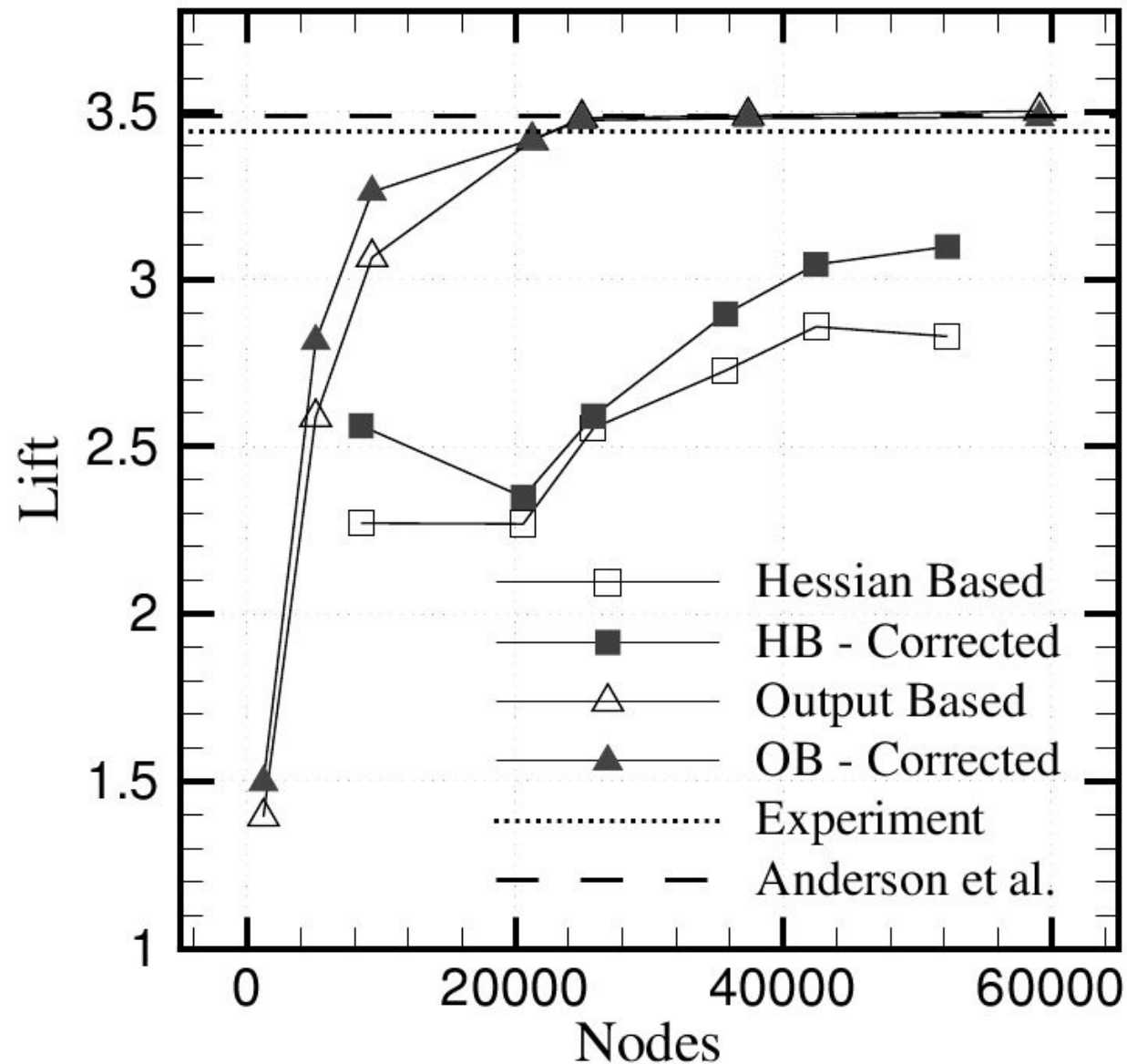
# Venditti and Darmofal

- AIAA-2003-3845
- Applied 2D output-based (lift) adaptation to Advanced EET Three Element Airfoil
- Compared it to a feature-based technique (Pure Hessian Based)

# Venditti and Darmofal

EET - Lift

$Re = 9 \times 10^6$  -  $M_\infty = 0.26$  -  $\alpha = 8^\circ$

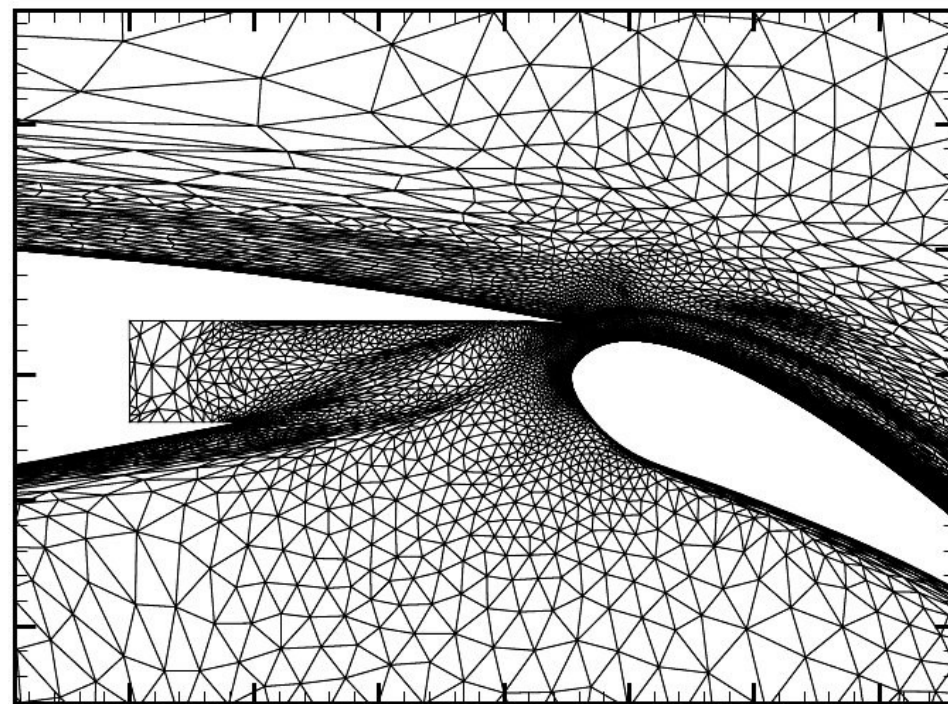
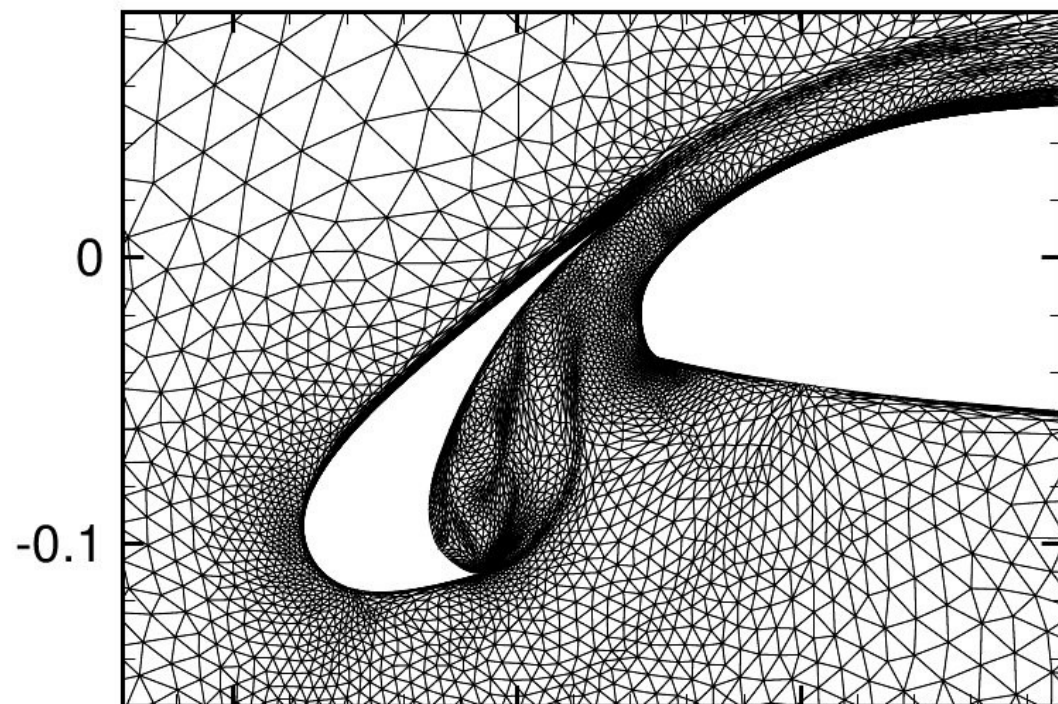
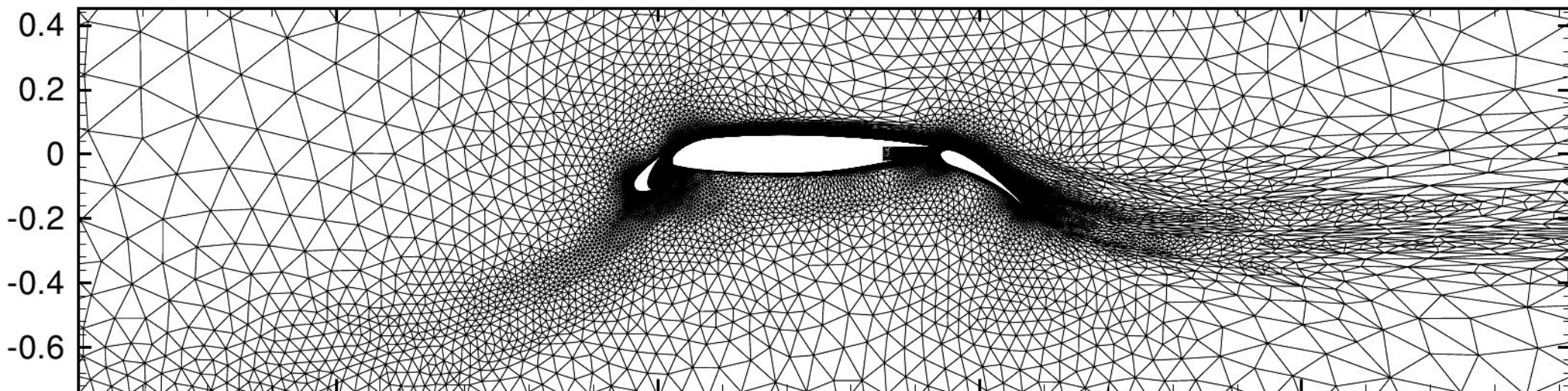




# Venditti and Darmofal

Output-based Adaptation (Lift)

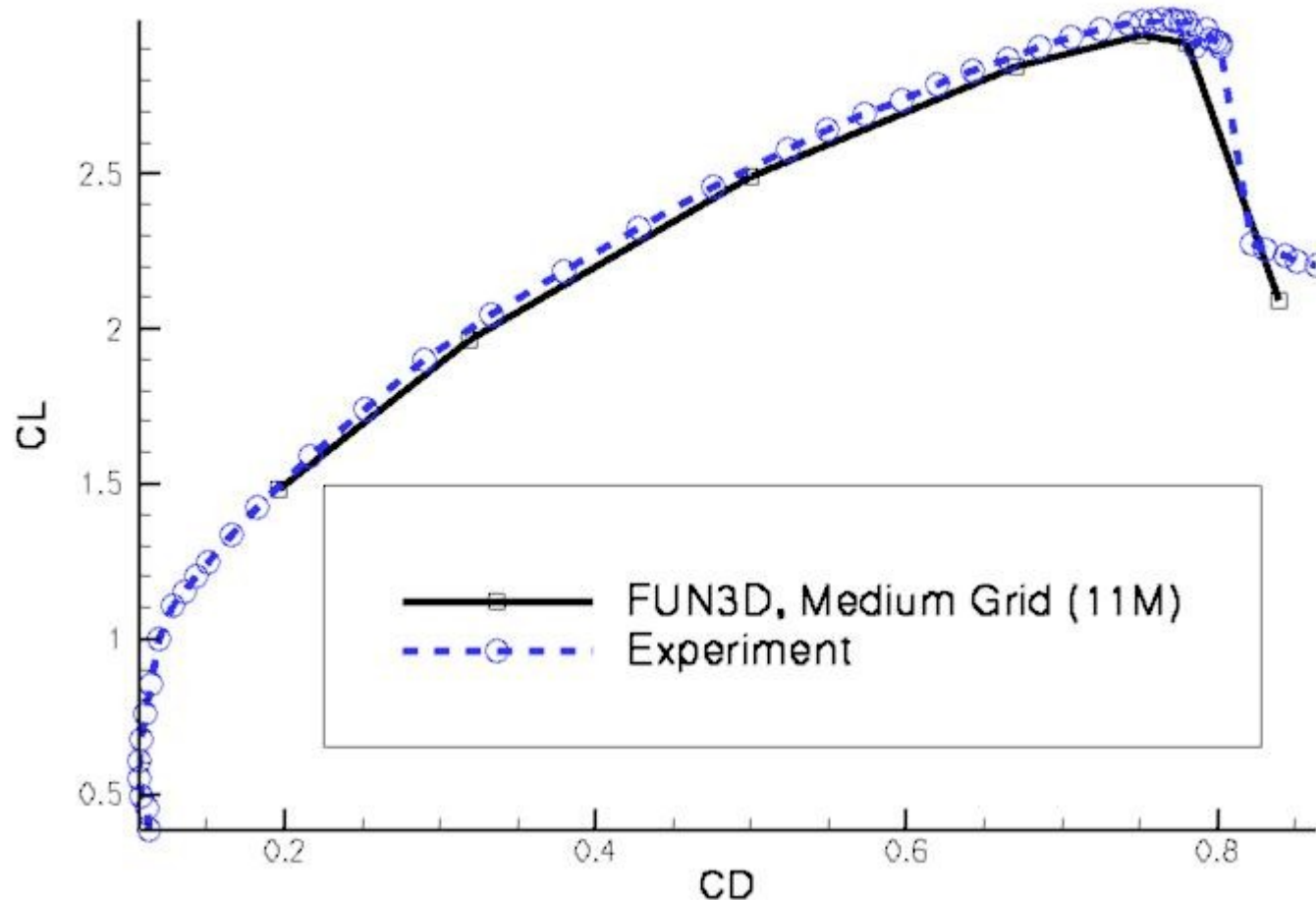
24965 Nodes



# FUN3D Calculations

- Roe flux without a reconstruction limiter
- Spalart-Allmaras (S-A) one-equation turbulence model
- Committee provided tetrahedral node-based initial grids
- Restarted from converged solutions at lower angles of attack

# Configuration 1 Drag Polar



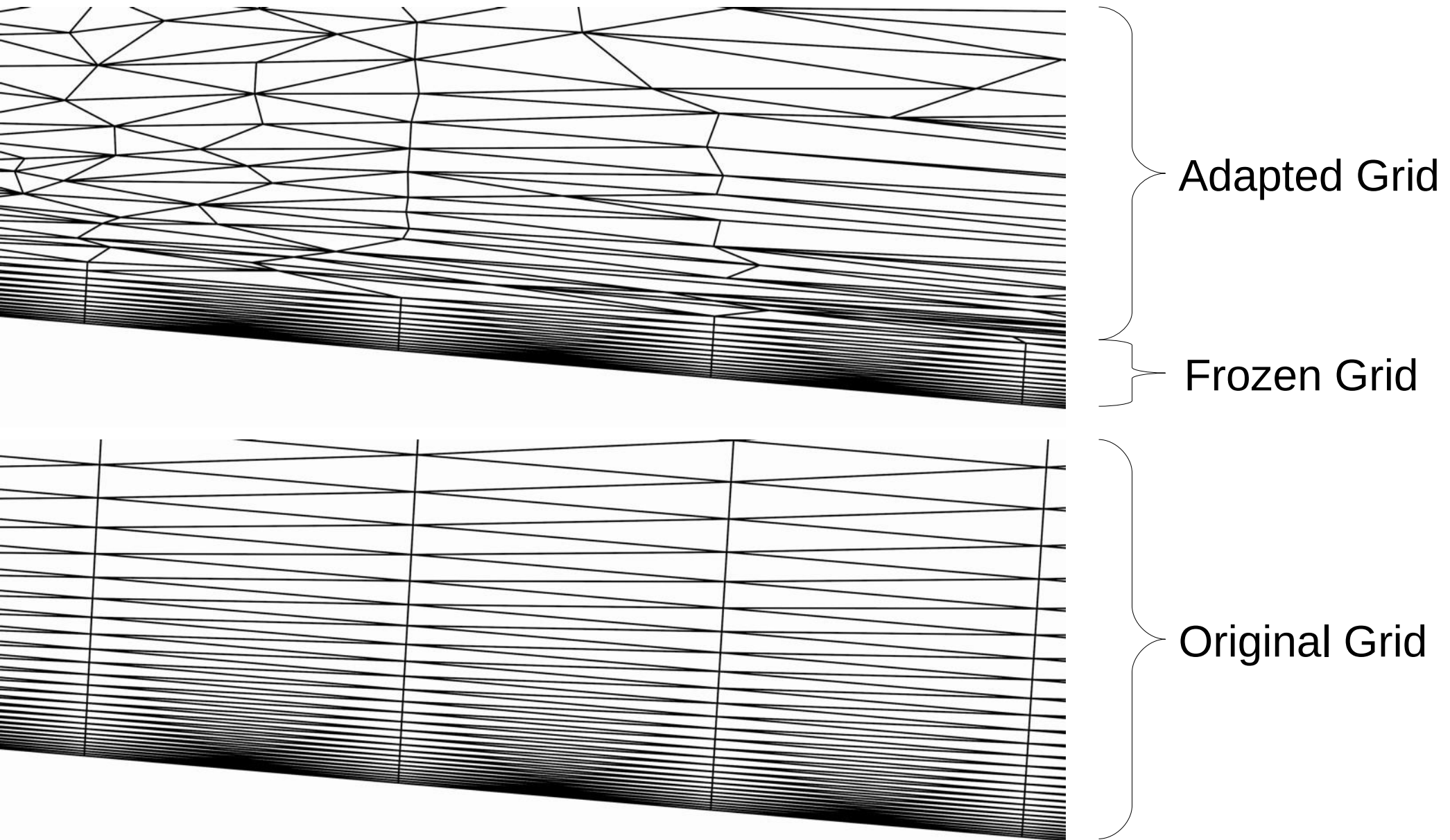
- Submitted all the required cases for the committee provided node-based tetrahedral grids

# FUN3D Output-based Adaptation

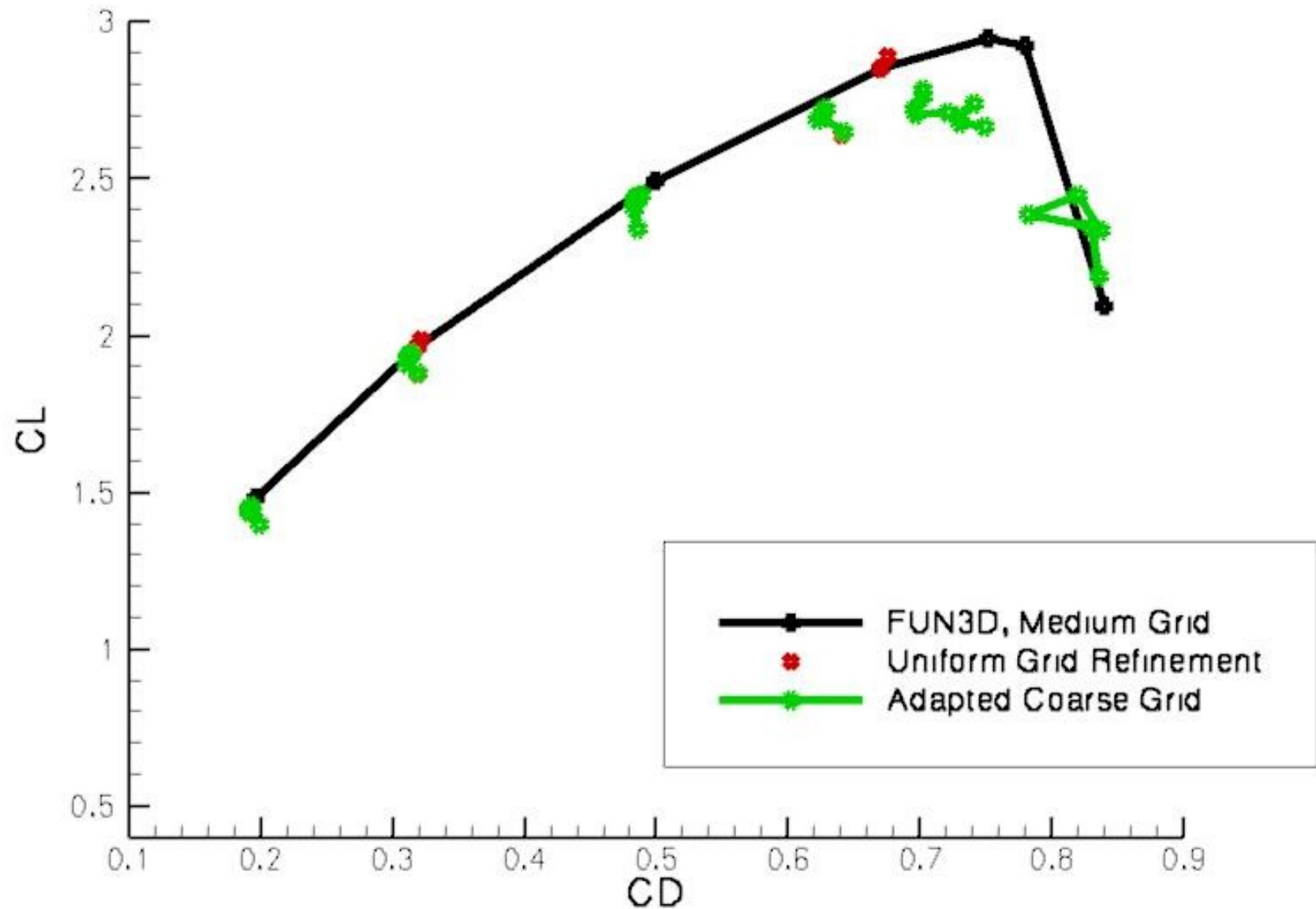
- Venditti and Darmofal technique implemented in 3D
  - Utilizes an embedded grid (memory limitation)
- Output-based adaptation for drag (expect similar results for lift)
- Boundary layer grid ( $s < 0.14$ ,  $y^+ < \sim 200$ ) frozen due to limitations in grid mechanics
- Most challenging application attempted to date
  - 1024 cores on NASA Pleiades



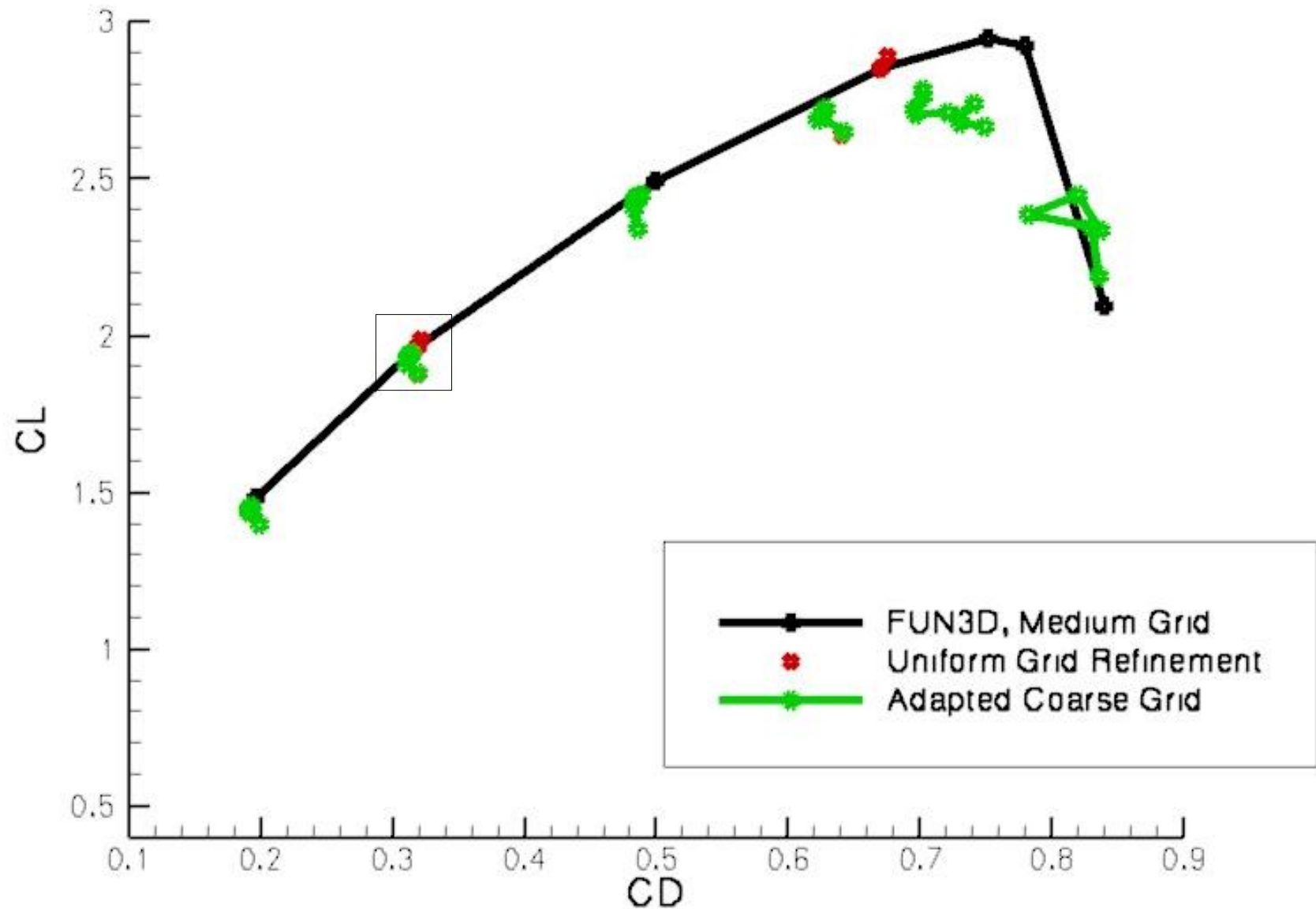
# Frozen Boundary Layer Grid



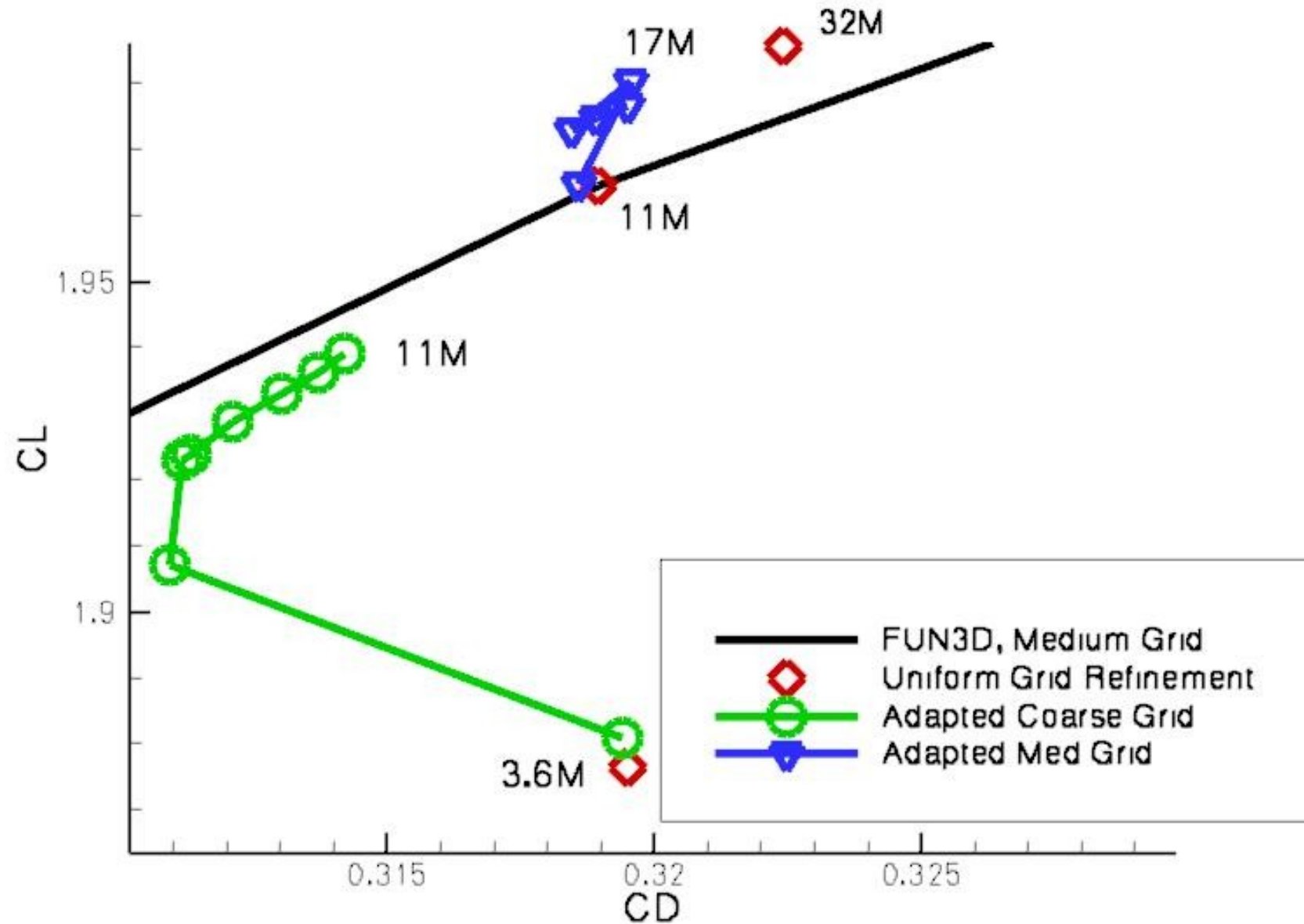
# Configuration 1 Drag Polar



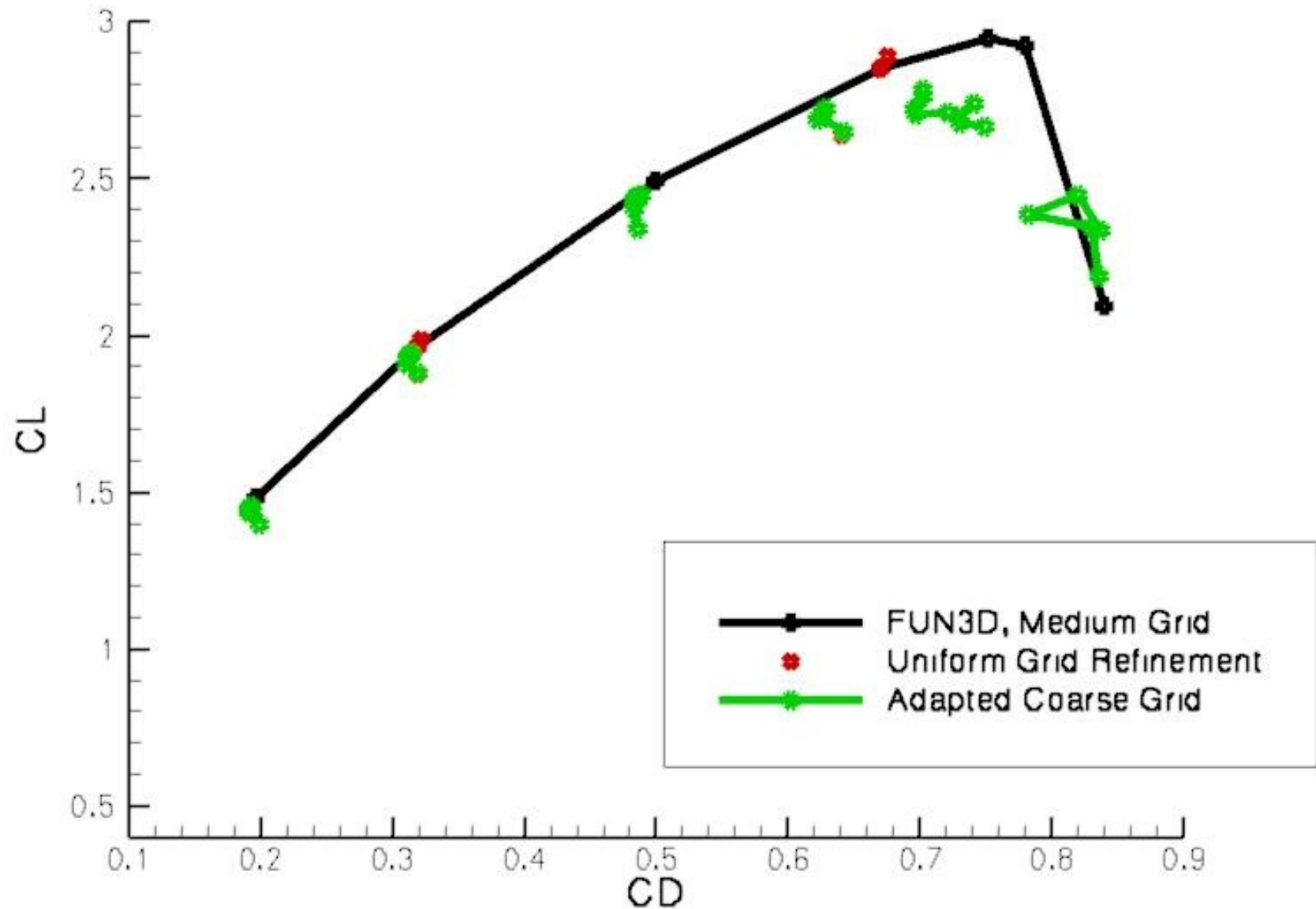
# Configuration 1 Drag Polar



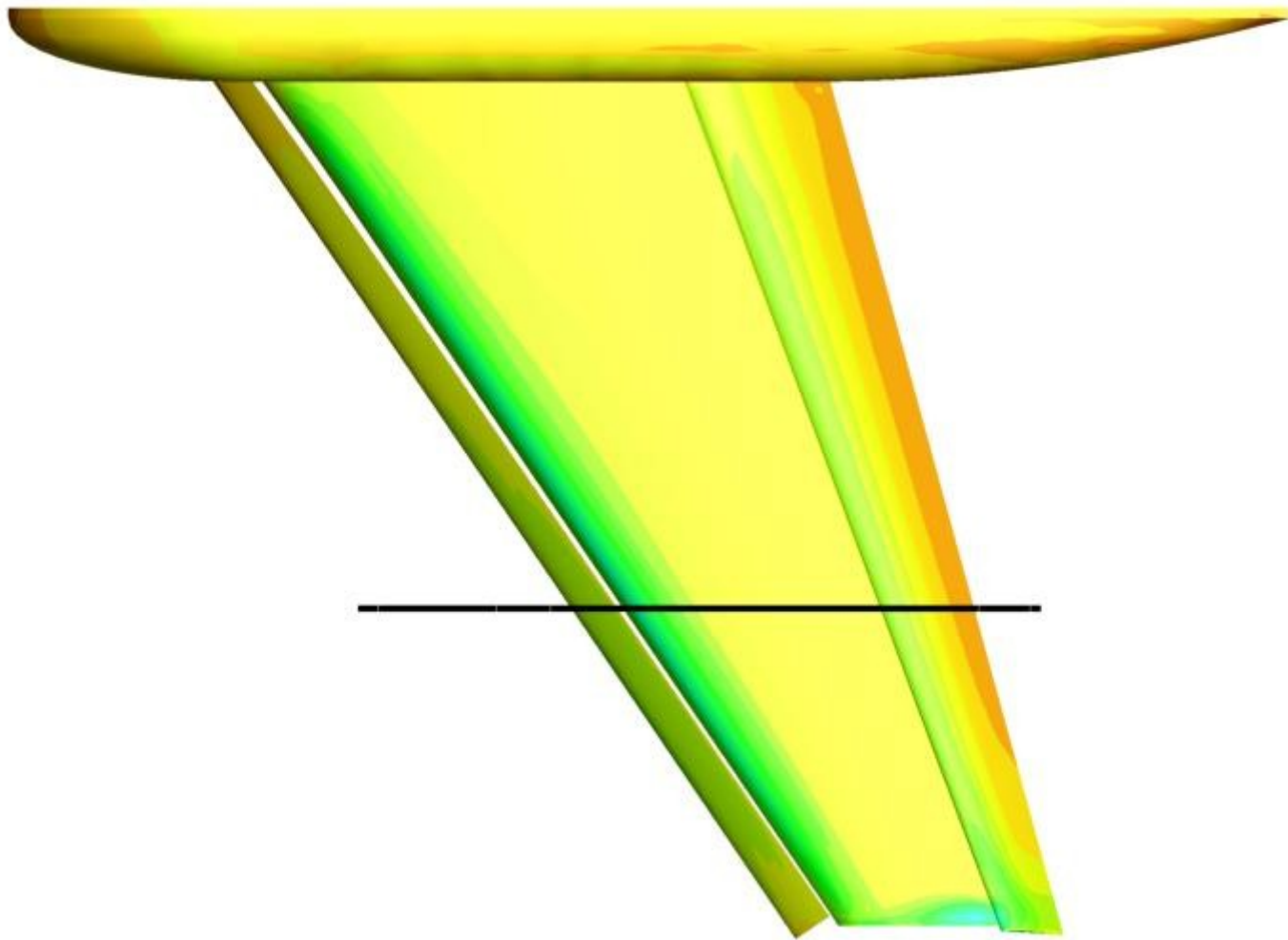
# Configuration 1 Drag Polar



# Configuration 1 Drag Polar

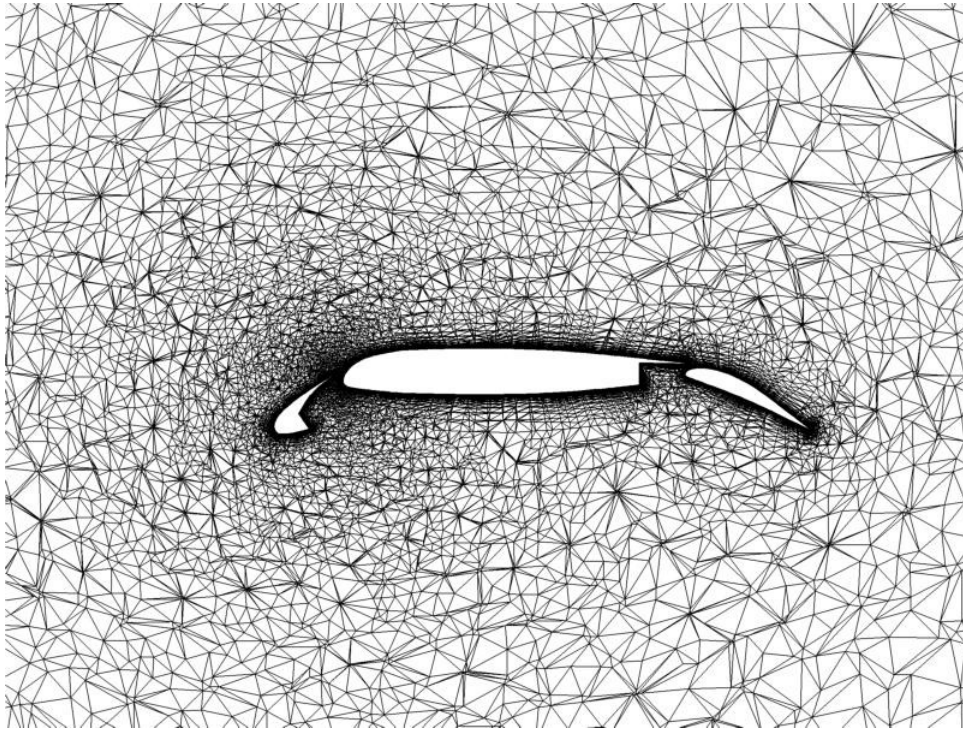


Configuration 1,  $\eta=0.65$ ,  $AoA=13$

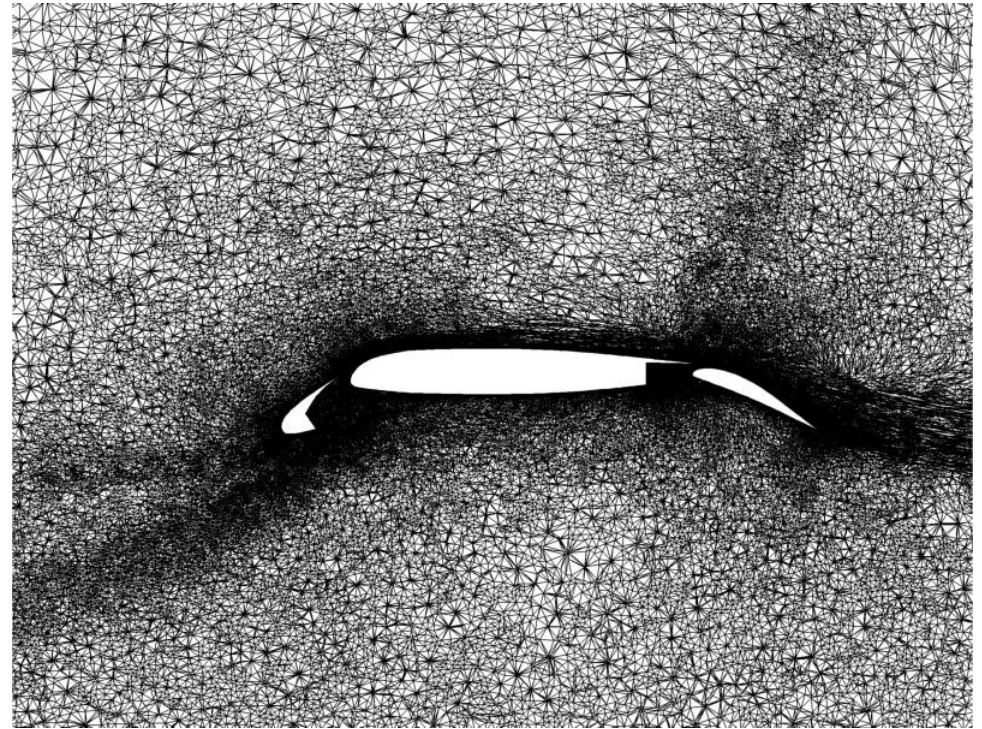




# Configuration 1, $\eta=0.65$ , $AoA=13$

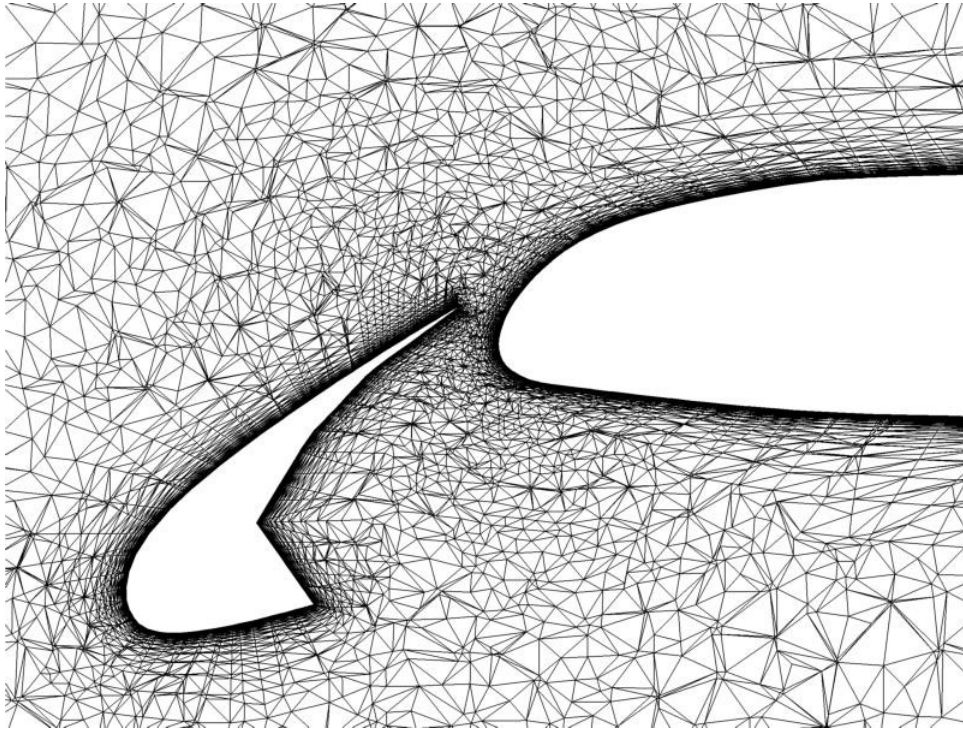


Coarse Grid (3.6M)

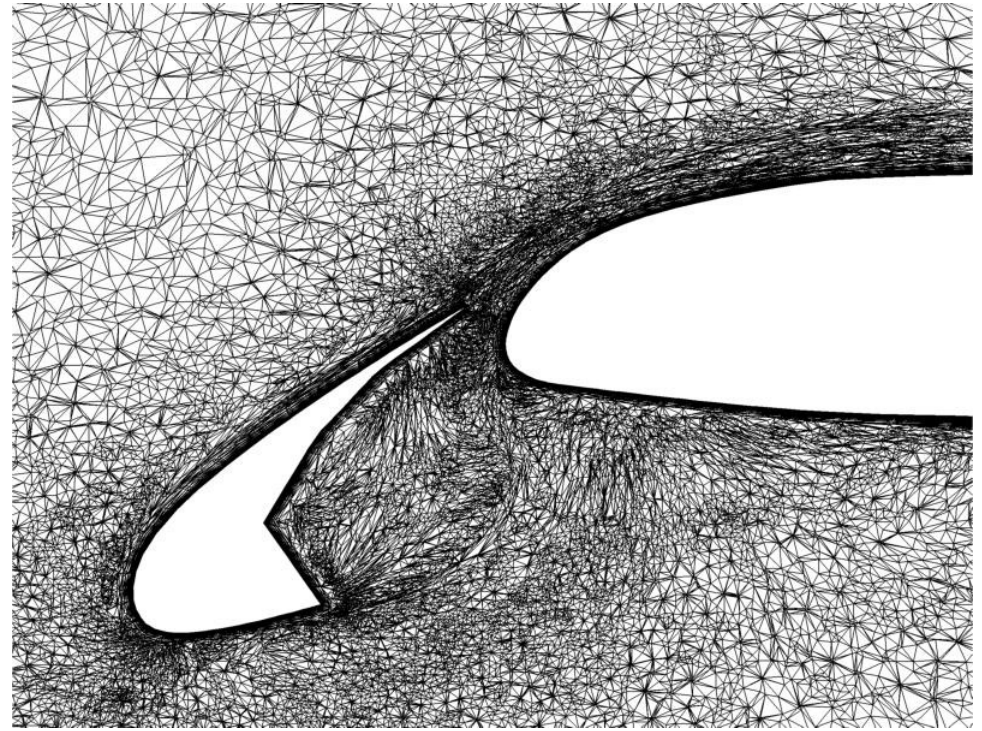


Adapted Grid (11M)

# Configuration 1, $\eta=0.65$ , $AoA=13$

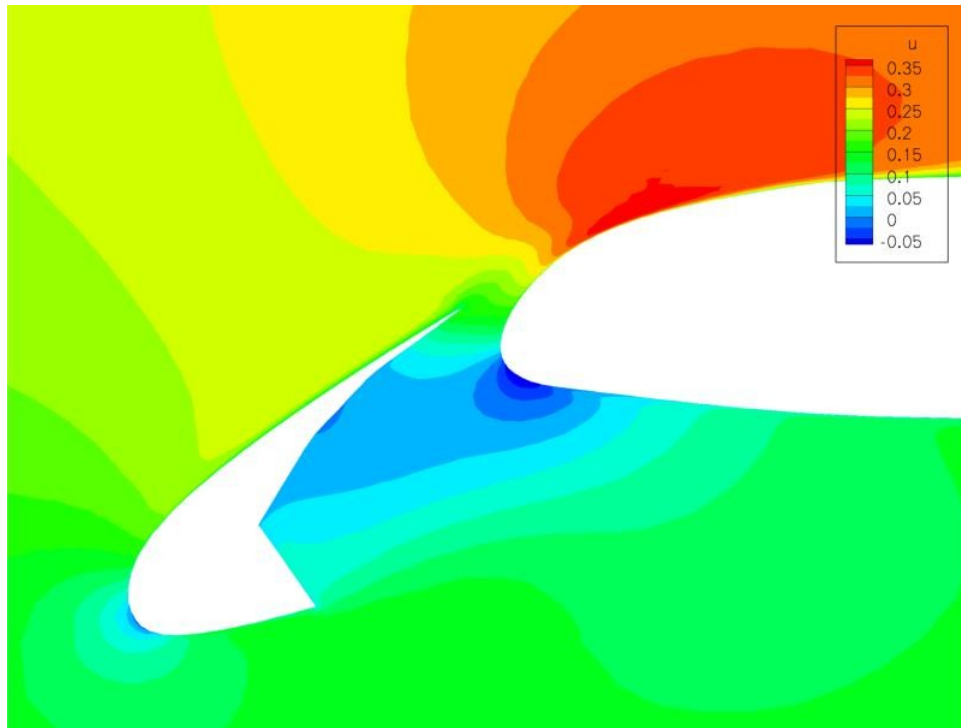


Coarse Grid (3.6M)

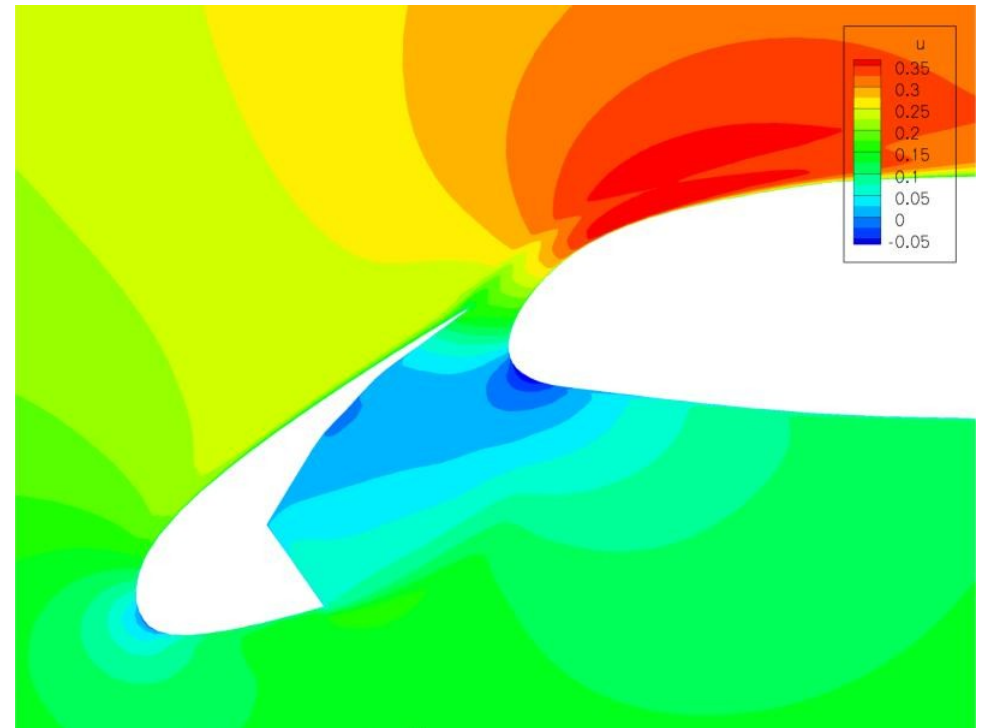


Adapted Grid (11M)

# Configuration 1, $\eta=0.65$ , $AoA=13$

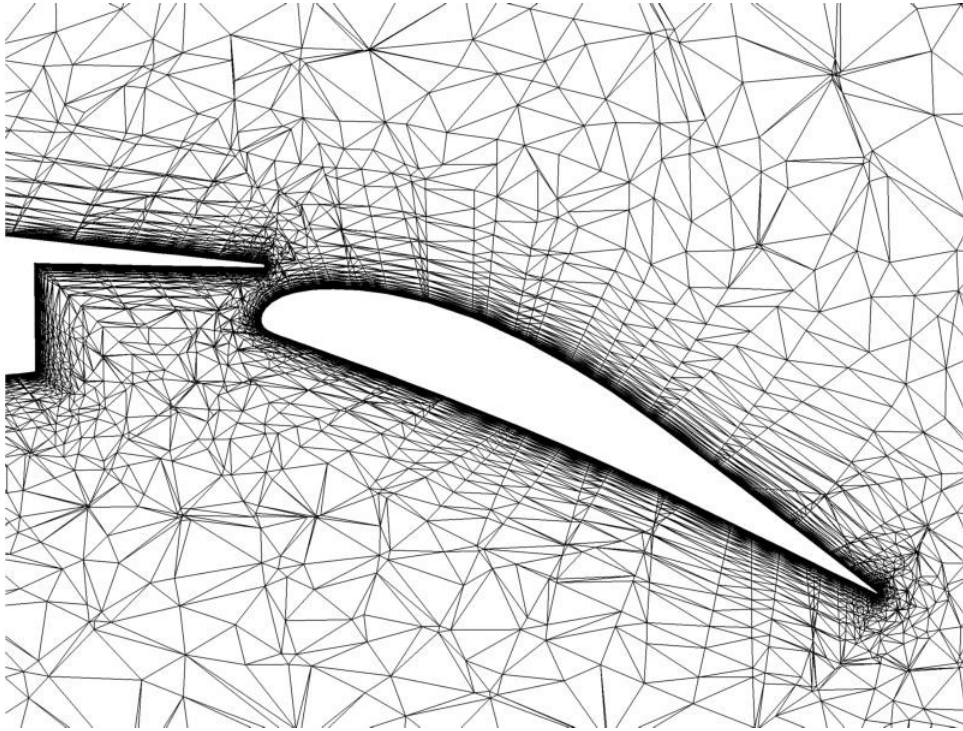


Coarse Grid (3.6M)

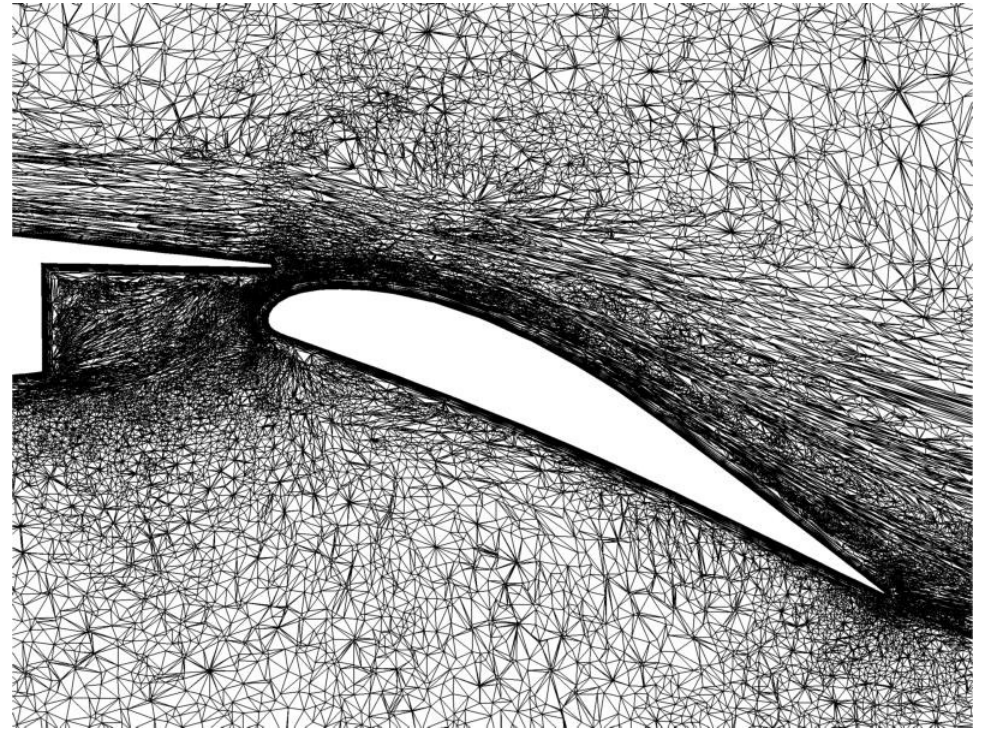


Adapted Grid (11M)

# Configuration 1, $\eta=0.65$ , $AoA=13$



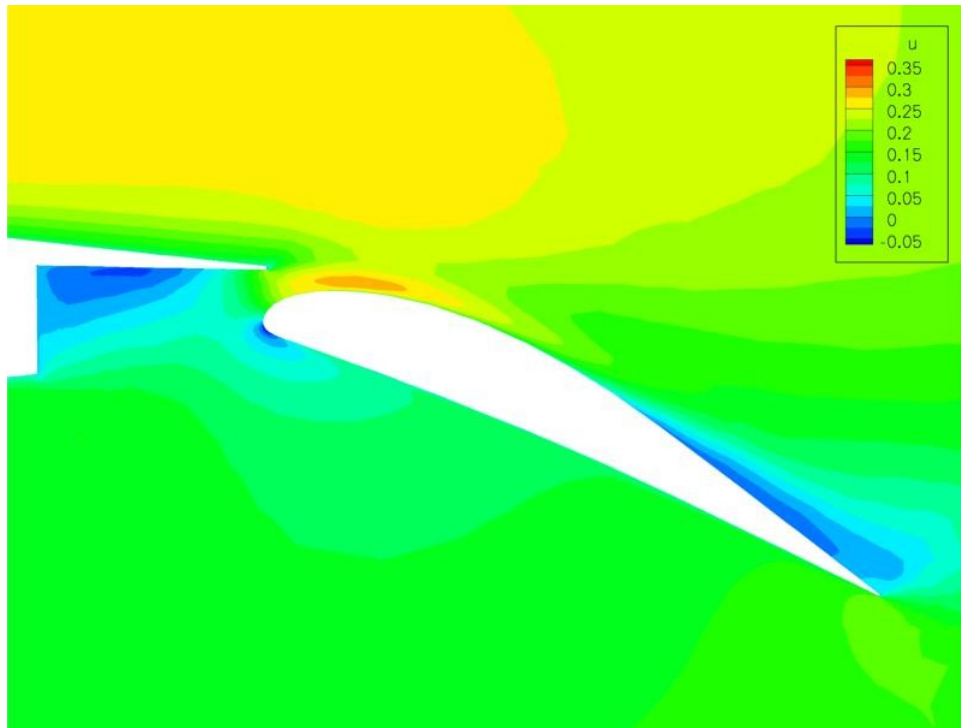
Coarse Grid (3.6M)



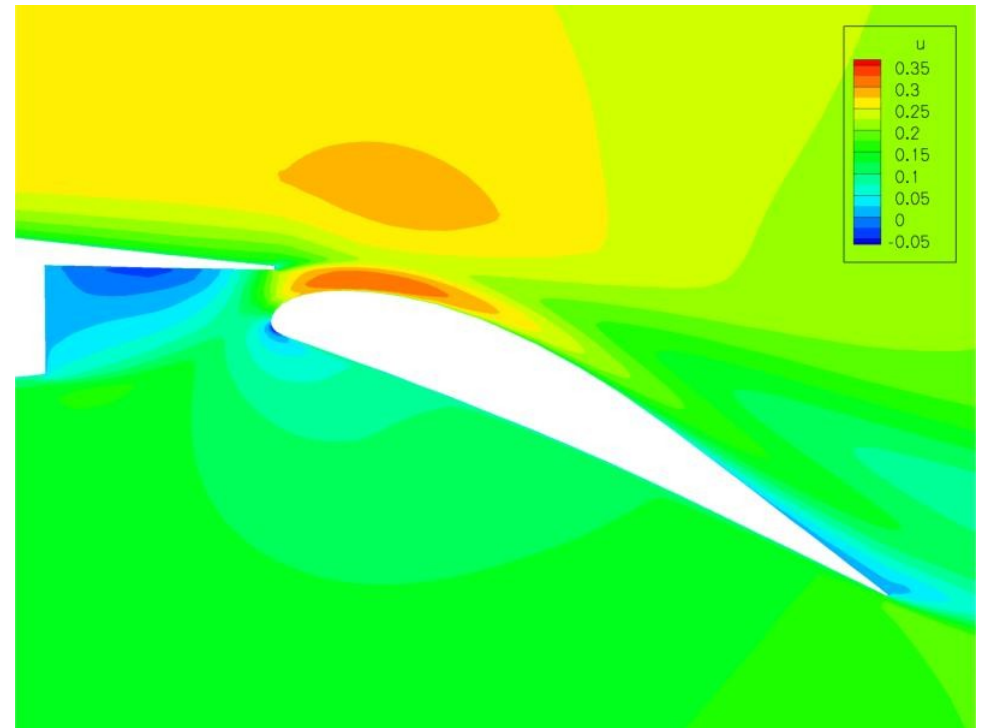
Adapted Grid (11M)



# Configuration 1, $\eta=0.65$ , $AoA=13$

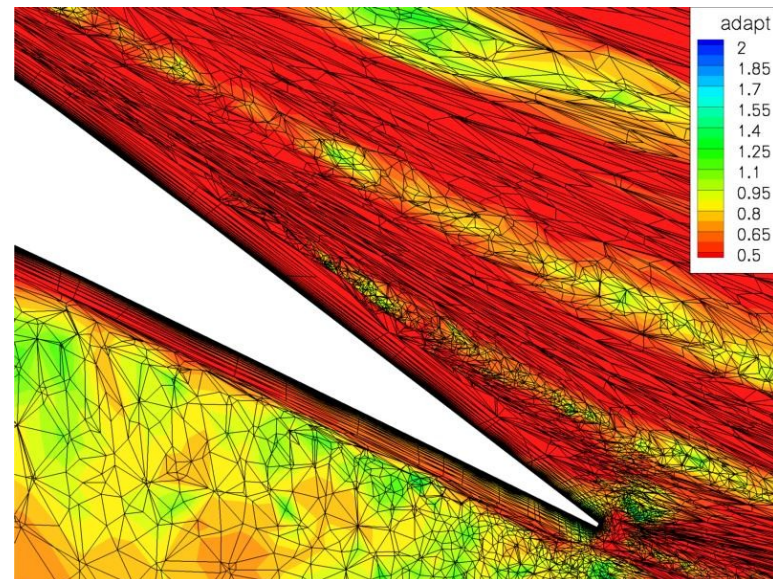
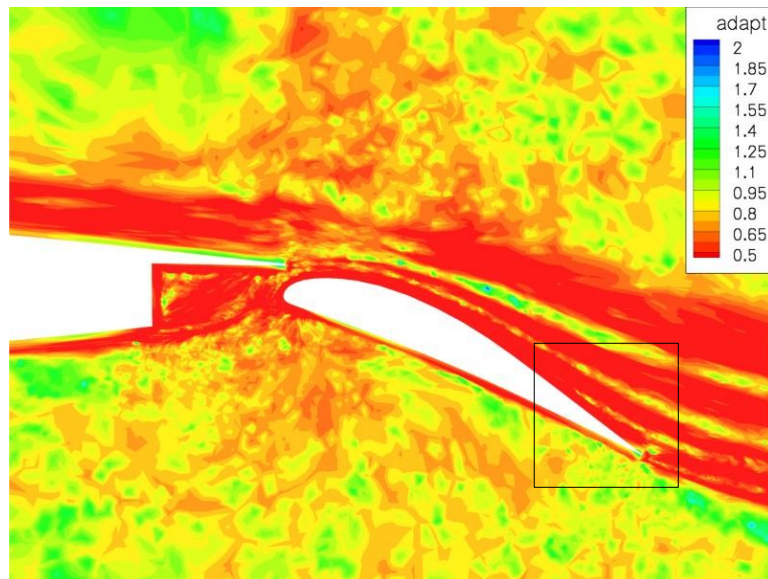
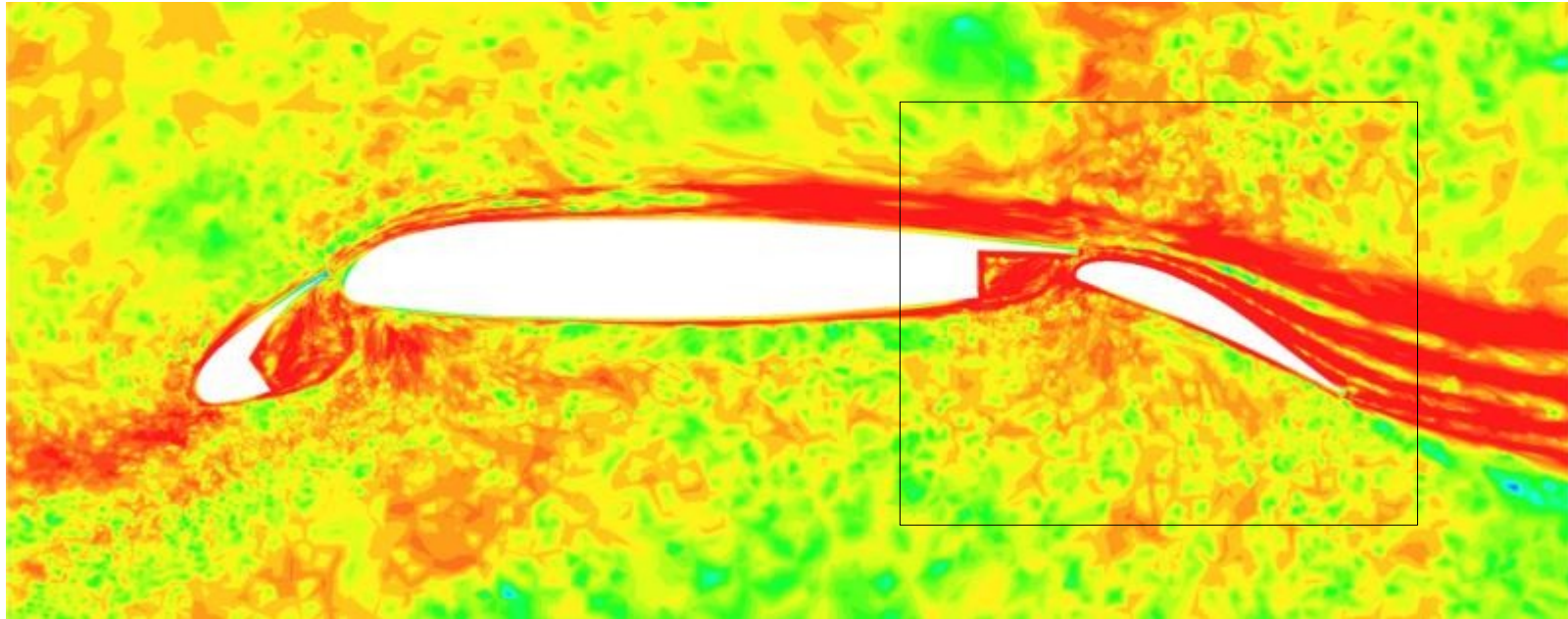


Coarse Grid (3.6M)



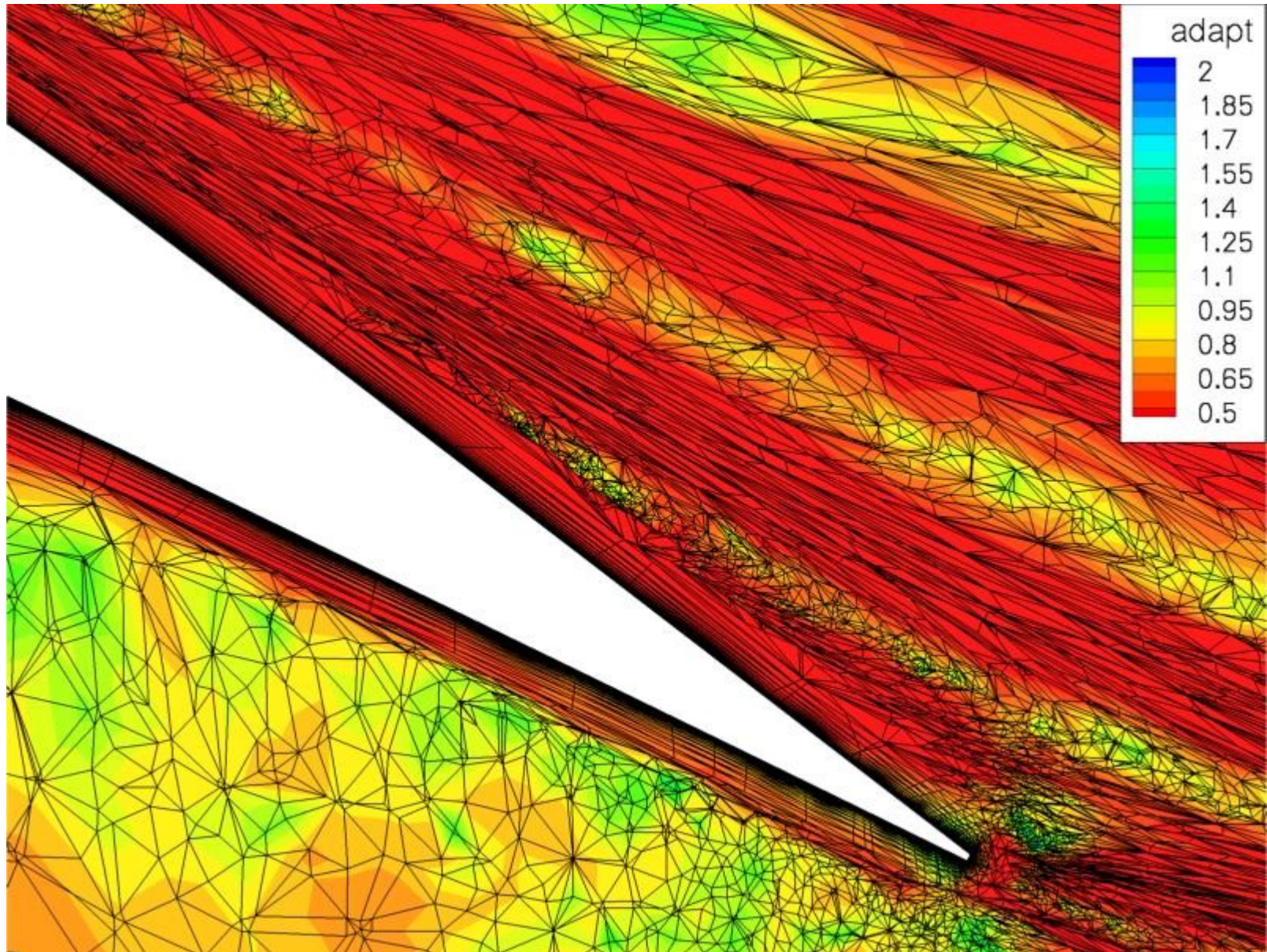
Adapted Grid (11M)

# Configuration 1, $\eta=0.65$ , $AoA=13$





# Configuration 1, $\eta=0.65$ , $AoA=13$

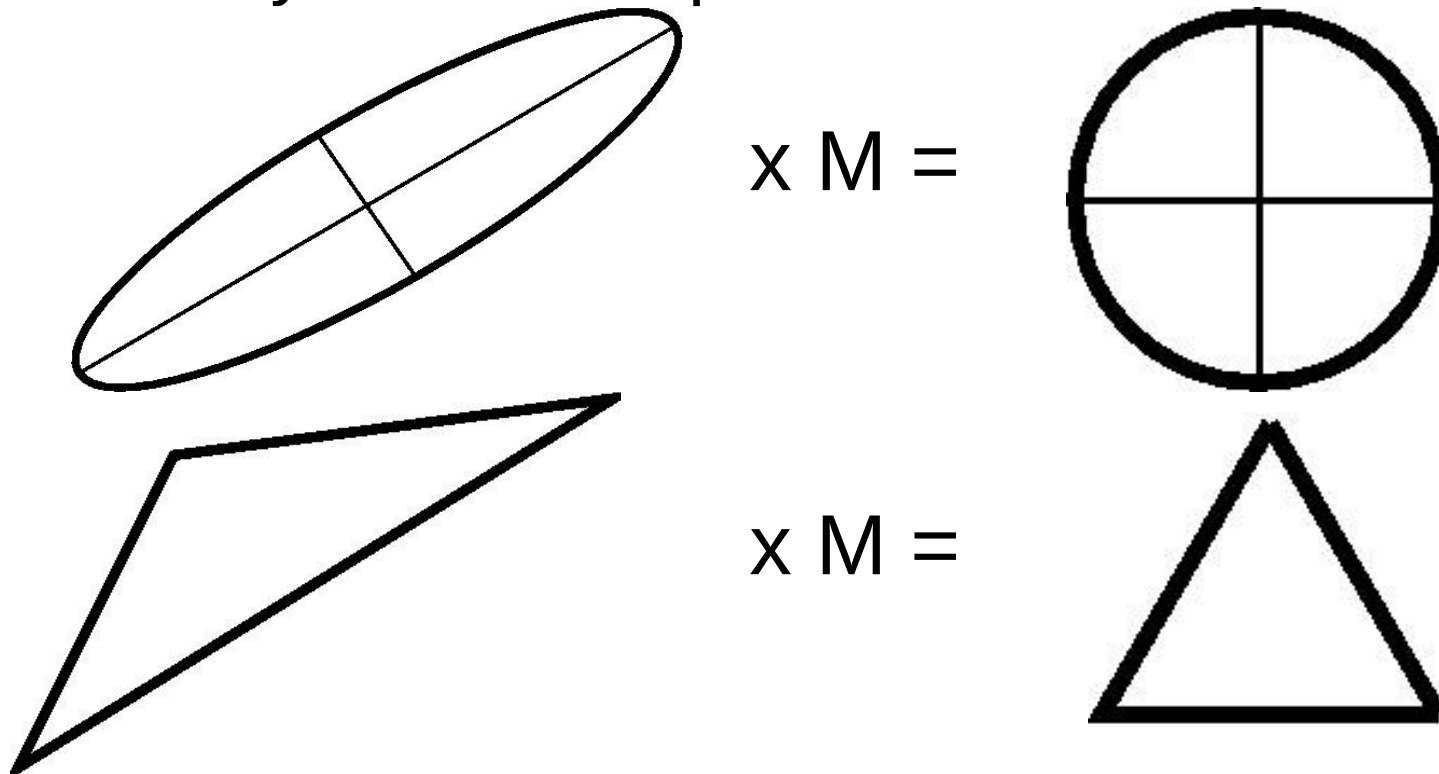


# Conclusions

- Adapted 3D grid distribution similar to previous 2D example
- Change in lift and drag due to adaptation showed similar trend to uniform grid refinement
- Adapted grid better resolves slat wake and reduces flap flow separation
- Adaptation limited by inability of grid mechanics to modify near wall boundary layer region and memory required by embedded grid error estimate

# Adaptation Mechanics

- Parallel node insertion, node movement, element collapse, and element swap
- Very general approach to iteratively drive mesh to satisfy an anisotropic metric  $M$



# Adaptation Mechanics

- Output-based size specification scales the stretching and orientation of the Mach Hessian grid metric

$$M = \left| \frac{\partial^2 \text{Mach}}{\partial x^2} \right| = X \begin{bmatrix} \left( \frac{1}{h_1} \right)^2 & & \\ & \left( \frac{1}{h_2} \right)^2 & \\ & & \left( \frac{1}{h_3} \right)^2 \end{bmatrix} X^T$$

# Adaptation Mechanics

- Output-based size specification scales the stretching and orientation of the Mach Hessian grid metric

$$e_{\kappa} = \frac{|(\hat{\lambda} - \bar{\lambda})R(\hat{u})| + |(\hat{u} - \bar{u})R_{\lambda}(\hat{\lambda})|}{2}$$

$$\frac{h_{\text{request}}}{h_{\text{current}}} = \left( \frac{e_{\text{tol}}}{\sum e_{\kappa}} \frac{e_{\text{tol}}}{Ne_{\kappa}} \right)^{\omega}$$